Why LSTM outperforms RNN?

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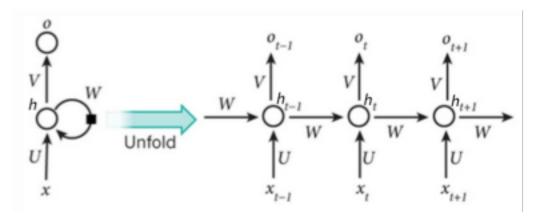


Outline

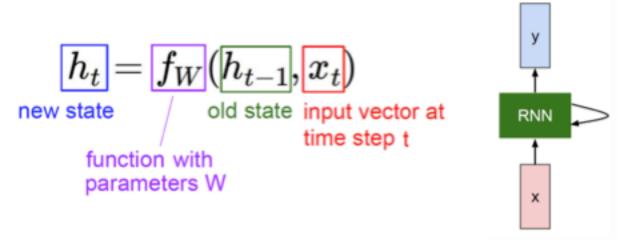
- Quick Review of RNN
- Investigate RNN
- Key Issue
- Solution LSTM



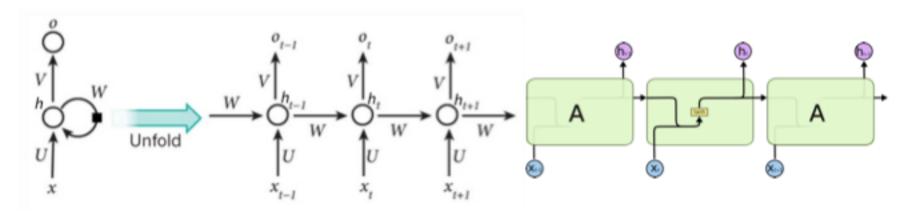
Quick Review of RNN



Recurrent Neural Network (RNN) and the unfolding in time of the computation involved in its forward computation.





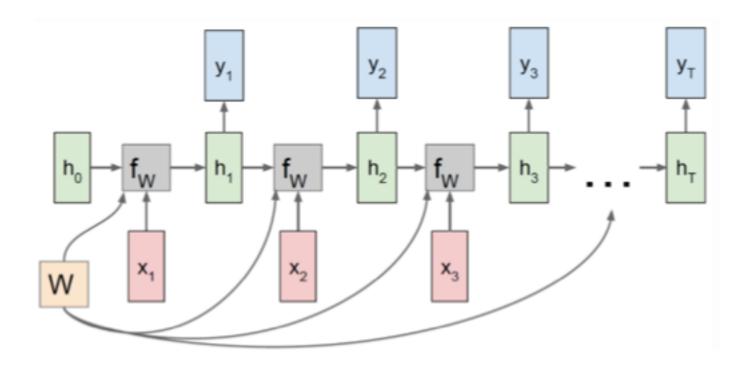


$$h_t = f_W(h_{t-1}, x_t)$$
 \mid $h_t = anh(W_{hh}h_{t-1} + W_{xh}x_t)$ $y_t = W_{hy}h_t$

Whh: weight between hidden layers

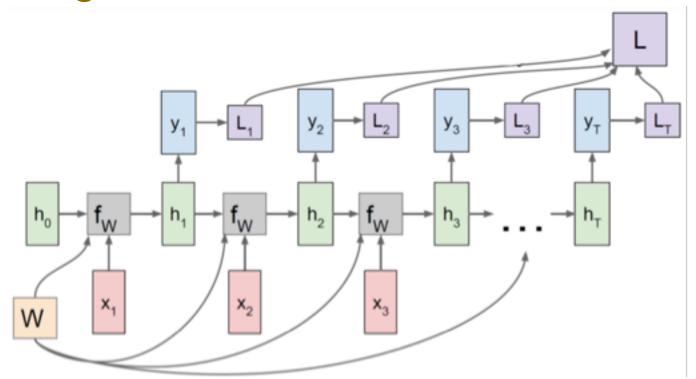
W*xh*: weight between input layer and hidden layer W*hy*: weight between hidden layer and output layer





In the computation of the hidden layer, Weight Matrix W is shared in all time-steps!





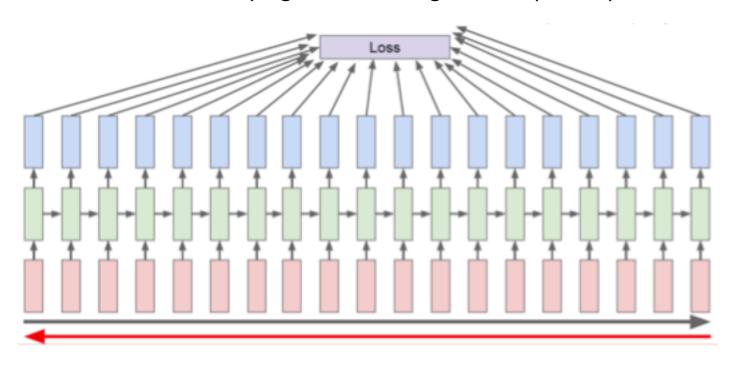
In TRAINING,

we compare the output of the time-step $\mathbf{y}\mathbf{t}$ with the reference result, then the loss $\mathbf{L}\mathbf{t}$ is obtained, and sequence loss \mathbf{L} will be back propagated from the end time-step to the first time-step. Next.

we employ **Stochastic Gradient Descent (SGD)** to minimize the loss and update the parameters in **W**.



Back Propagation Through Time (BPTT)



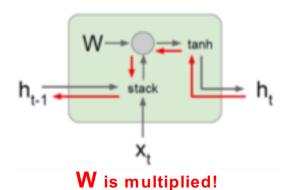
Forward through entire sequence to compute the **Loss**.

Backward through entire sequence to minimize the loss and update the parameters in W.



Key Issue

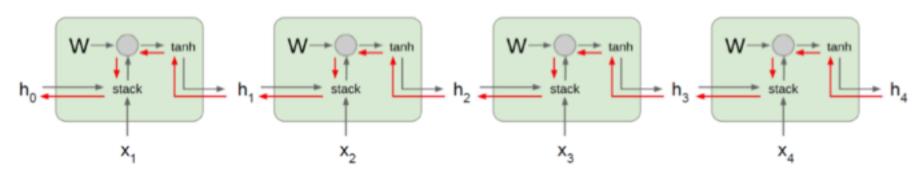
In every backpropagation from ht to ht-1:



$$h_{t} = \tanh(W_{hh}h_{t-1} + W_{xh}x_{t})$$

$$= \tanh\left(\left(W_{hh} \quad W_{hx}\right) \begin{pmatrix} h_{t-1} \\ x_{t} \end{pmatrix}\right)$$

$$= \tanh\left(W \begin{pmatrix} h_{t-1} \\ x_{t} \end{pmatrix}\right)$$



e.g. computing gradient of h0 involves many factors of W!

If sequence is long enough and

W > 1, exploding gradients!

W < 1, vanishing gradients!



Key Issue

Exploding gradients:

Employ Gradient Clipping to scale the gradient (e.g. cut the value).



```
grad_norm = np.sum(grad * grad)
if grad_norm > threshold:
    grad *= (threshold / grad_norm)
```

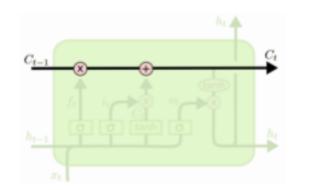
Vanishing gradients:

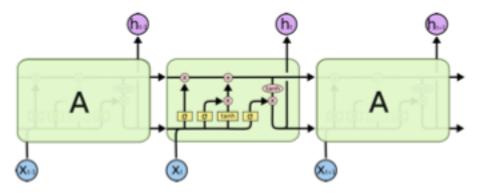


Change RNN architecture!



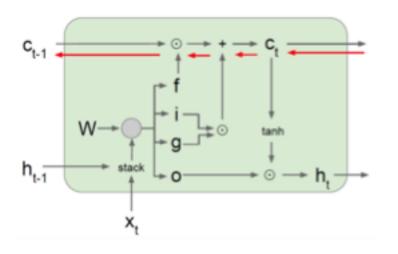
Solution - LSTM





With the cell state, it runs straight down the entire chain, with only some minor linear interactions (NOT matrix multiplication like in RNN)

It's very easy for information to just flow along it unchanged.

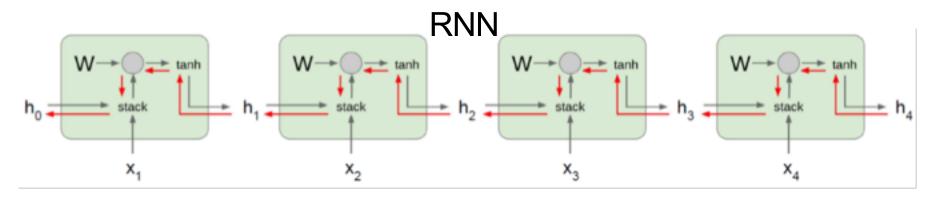


input gate forget gate output gate update gate
$$c_t = f \odot c_{t-1} + i \odot g$$

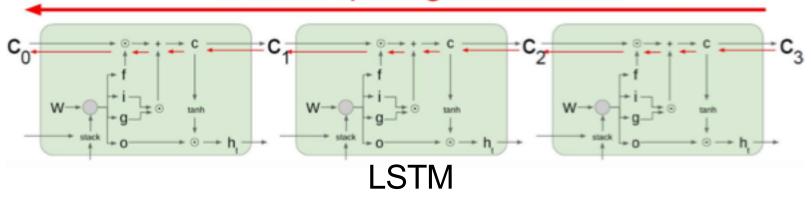
$$h_t = o \odot \tanh(c_t)$$



Solution - LSTM



Uninterrupted gradient flow!







References

- 1. Understanding LSTM http://colah.github.jo/posts/2015-08-Understanding-LSTMs/
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Thanks for your attention!

